Unit 4: Exponentials Models: June 15

Exponential Models: Understanding Practice 6

Goal: Be able to model exponential functions in general cases and interpret the model in a meaningful way.

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	the following situations, what are important numbers (constants and variables) that are needed to stand and predict things, and what would we want to predict about the situation?
A.	An amount of money is invested and left to grow.
В.	The population of salmon was stable but has started to decline due to over fishing and environmental stresses in a region.
C.	A baked pie comes out of the oven and cools down.
D.	A rumour is spread around the school until eventually everyone hears it.

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In situation A, I imagined an investment of $\$50,\!000$ is expected to return 7% annual	ally (every year).
Determine a function for the amount the investment grows after t years.	
Generalize this. The initial investment is A_0 and the rate of return is r . State the m function and describe its domain. Be sure to specify a reasonable domain for t .	apping notation of this
Use the situation: $A_0=\$80{,}000$ and $r=9\%$ to determine the time when the inv	estment has grown to
\$500,000.	estilient has grown to

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In situation B I imagined that the population was stable at 1 million, but in in 1990 the population was 600K.	1985 the population was 900K and
Determine a function for the salmon population in year t .	
Generalize this. The stable population is P_0 , and there were P_1 fish in year that $P_0 > P_1 > P_0$ and $t_2 > t_1$. State the mapping notation of this function specify a reasonable domain for t .	
Use the original parameters to predict when the population will become 4	00К.

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In situation C I imagined a baked pie comes out of the oven and is 80°C at 4pm, it 7pm when the temperature is 24°C . The temperature of the room is 20°C .	is left to cool until dinner at			
Determine a function for the temperature of the pie at a given time.				
To generalize this, think of how is this situation similar/different to the salmon prosituation, let the room temperature T_{amb} , and say the pie was T_1 degrees at time degrees at time t_2 . State the mapping notation of this function and describe its do reasonable domain for t .	t_1 (pm hours) and T_2			
What time will the pie become room temperature (use the case at the top)?				

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