## Trig Modelling Practice

The following problems are snippets from the textbook with the core function erased. Determine the general function for them, use the function to predict a value, and use the function to solve a problem.
1.
a. A point on saw blade experiences motion around a circle with radius $r$. It makes $n$ rotations per second. The blade sits so that the center is $d$ units below the top of the table. Determine a function for the height of the point at time $t$. State the mapping notation of your function and describe its domain.
b. If the radius is 10 cm and it sits 8 cm below the top of the table, what percentage of one rotation will the point be above the table?
2.
a. A satellite follows a sinusoidal path over the Earth in orbit. It takes the satellite $m$ minutes to orbit the Earth. On one side of the Earth, it reaches a maximum height of $h_{1}(\mathrm{~km})$ and on the opposite side is reaches a min height of $h_{0}(\mathrm{~km})$. At $t_{0}$ minutes after noon, the satellite is at the min height. Determine a function for the height of the satellite at time $t$. State the mapping notation of your function and describe its domain.
b. If $m=200$ minutes, $h_{1}=300 \mathrm{~km}$ and $h_{0}=220 \mathrm{~km}$, and at $12: 47 \mathrm{pm}$ the satellite is at the min height, determine the intervals of time from midnight to 6:00 am of that day that the satellite was more then 280 km above the Earth.
3.
a. The population of foxes in a region cycles from a minimum $P_{0}$ to maximum $P_{1}$ during a $m$ month period (that is from $P_{0}$ to $P_{1}$ in $m$ months). The population starts at $P_{1}$ on the first of month $m_{0}$. Determine a function for the population of foxes at time $t$ in months. State the mapping notation of your function and describe its domain.
b. If $P_{0}=600$ and $P_{1}=1600, m=12$ months, and $m_{0}$ is March 2020, determine the approximate dates between Jan 1, 2020 to December 31, 2024, the population of foxes is greater than 1000.
4.
a. The altitude of the Sun follows a sinusoidal path. The maximum altitude it reaches is $\theta_{1}$ degrees above the horizon at time $t_{1}$ (hours). The lowest it reaches is $\theta_{2}$ degrees below the horizon at time $t_{2}$ (hours). Determine a function for the height of the Sun as a function of time $t$. State the mapping notation of your function and describe its domain.
b. If $\theta_{1}=63^{\circ}$ at $1: 10 \mathrm{pm}$ on June 3,2021 and $\theta_{2}=-18^{\circ}$ at $1: 10$ am on June 4,2021 . Then Determine the time of sunrise and sunset on June 4, 2021.
5.
a. Daily temperature follows a sinusoidal curve. In Vancouver, it reaches a minimal temperature of $T_{0}$ degrees Celsius at time $t_{0}$ and a maximal temperature of $T_{1}$ at time $t_{1}$. Determine a function for the temperature as a function of the time $t$. State the mapping notation of your function and describe its domain.
b. If $T_{0}=15^{\circ} \mathrm{C}$ at 6:00 am and $T_{1}=28^{\circ} \mathrm{C}$ at 6:30 pm. Then determine the interval of times in the day when the temperature is above $5^{\circ} \mathrm{C}$.

Generalize the scenarios in the textbook page 278-280 \# 17-23. Think about a problem you could ask about them.

